



## 3. Test Generation Strategies I

### Based on requirements

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# Software Requirements

## Requirements Specification

- informal
- semi-formal
- formal

Depending on the degree of formality more or less **automated strategies** can be applied

# The test selection problem

## Challenge

Construct a test set  $\mathcal{T} \subseteq \mathcal{D}$  that will reveal as many errors in  $p$  as possible (where  $\mathcal{D}$  is the input domain and  $\mathcal{T}$  is the set of tests)

## To give an idea...

Consider a procedure that has to manage data of an employee defined as follows:

- ID:`int` – three digit long from 001 to 999
- name:`string` – name is a 20 character long. Each characters belong to the set of 26 letters and space
- rate:`float` – rate varies from \$5 to \$10 per hour and in multiple of a quarter
- hoursWorked:`int` – hoursWorked varies from 0 to 60

Therefore:

$$999 \times 27^{20} \times 21 \times 61 \approx 5.42 \times 10^{34}$$

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# Equivalence partitioning

## How to ...

using the **equivalence partitioning** strategy a tester should subdivide the input domain into “small numbers” of subdomains, which can be **disjoint**

## Assumption

Equivalence classes are built assuming that the program under test exhibits the **same behaviour** on all elements of the same subset. One element for each subset is selected to form  $\mathcal{T}$

## Results?

Quality of  $\mathcal{T}$  depends from experience, familiarity with requirements, access and familiarity with the code

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# Faults targeted

Simple partitioning:

- set of legal and not legal input
- requirements explicitly referring to different sets  
(Req1: $i \in [1, \dots, 60]$  and Req2: $i \in [60, \dots, 120]$ )
- above and below



## Formalizing the approach

Relations helping a tester in partitioning are of the form:

$$R : \mathcal{I} \rightarrow \mathcal{I}$$

where  $\mathcal{I}$  represents the input domain.

### The grocery (simple one)

Consider a method `getPrice` that takes the name of a grocery item consults a database of prices and return the unit price for the item.

How would you partition the input?

$$pFound : \mathcal{I} \rightarrow \mathcal{I}$$

Elements in the database  $pF$  and elements non in the database  $pNF$ .  
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# Examples

## Printers

Consider an automatic printer testing application named `pTest`. The application takes the manufacturer name and the model of a printer as input and selects a test script from a list. The script is then executed to test the printer. Our goal is to test if the script selection part of the application is implemented correctly. Different types of printers available (B/W Inkjet, Color Inkjet, Color laserjet, Color multifunction).

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## Words Count I

The `wordCount` method takes a word `w` and a file name `f` and returns the number of occurrences of `w` in the text contained in the file. An exception is raised if there is no file with name `f`.

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## Words Count II

Now suppose to have access to the code of `wordCount`:

```
1 begin
2   string w, f;
3   input (w, f);
4   if (^exists(f)) {raise exception; return(0)};
5   if (length(w)==0) return (0);
6   if (empty(f)) return (0);
7   return (getCount (w, f));
8 end
```

How would you partition the input, now?

Combination of `w`: null/non-null, `f`: exists/does not exist, empty/non empty

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