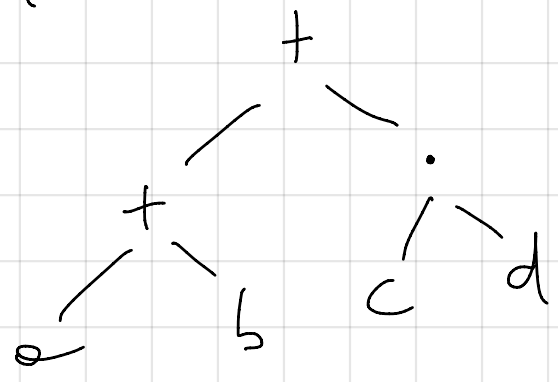
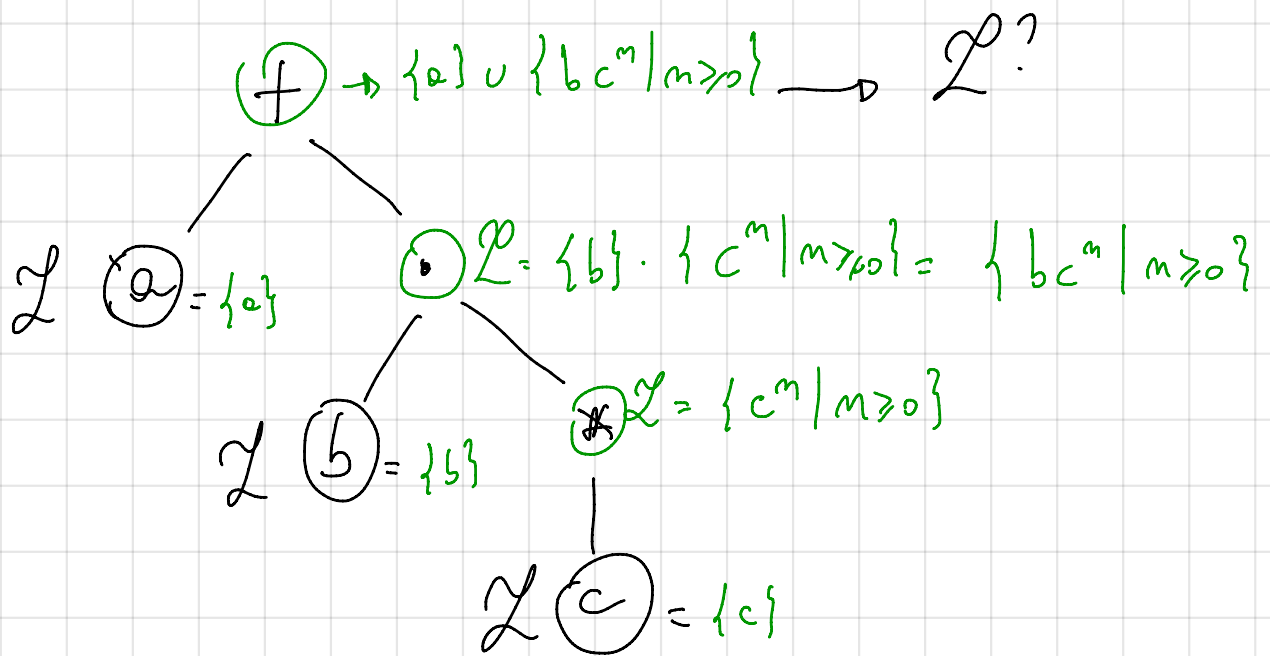


$(a + b) * c$



~~$a + * c$~~



$$\mathcal{L}(c) = \{c\} = \mathcal{L}(c)^0 = \{c\}^0 = \{\varepsilon\}$$

$$\mathcal{L}(c^*) = \bigcup_{i \geq 0} \mathcal{L}(c)^i \quad \mathcal{L}(c)^1 = \{c\}^1 = \{c\}$$

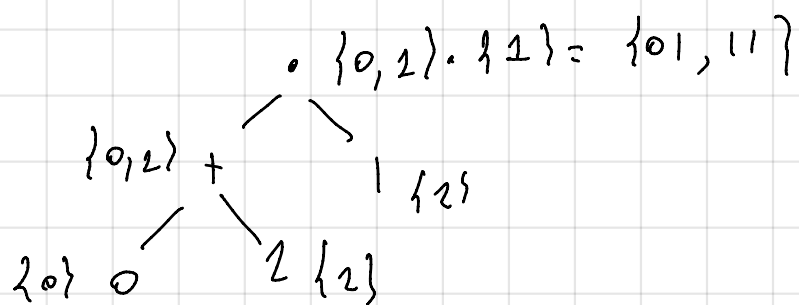
$$\mathcal{L}(c)^2 = \mathcal{L}(c) \cdot \mathcal{L}(c)^1 = \{c\} \cdot \{c\} = \{cc\}$$

$$= \{c\} \cdot \{\varepsilon\} = \{c \cdot \varepsilon\} = \{c\}$$

$$\mathcal{L}(c)^3 = \mathcal{L}(c) \cdot \mathcal{L}(c)^2 = \{c\} \cdot \{ccc\} = \{cccc\}$$

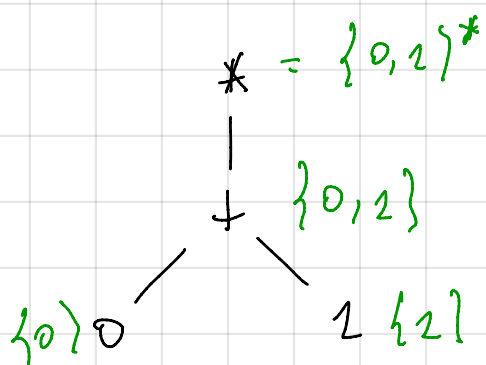
$$\mathcal{L}(c^*) = \{\varepsilon, c, cc, ccc, \dots\} = \{c^m \mid m \geq 0\}$$

$$\mathcal{L}((0+1)1) = \{01, 11\}$$



$$0^* + 1^* = \{\epsilon\} \cup \{0^m \mid m > 0\} \cup \{1^m \mid m > 0\}$$

$$\mathcal{L}((0+1)^*)$$



$$\begin{aligned}
 \{0, 1\}^* &= \{0, 1\}^0 = \{\epsilon\} \\
 &\cup \{0, 1\}^1 = \{0, 1\} \\
 &\cup \{0, 1\}^2 = \{0, 1\} \cdot \{0, 1\} = \{00, 01, 10, 11\} \\
 &\cup \{0, 1\}^3 = \{0, 1\} \cdot \{00, 01, 10, 11\} = \{000, 001, 010, \\
 &\quad 011, 100, 101, \\
 &\quad 110, 111\} \\
 &\vdots
 \end{aligned}$$

$$\{01, a, \sim\}^* = \{\epsilon, 01, a, \sim, 01a, a01, \\
 \sim a, a\sim, 01\sim, \sim 01, \dots\}$$

$$(\{01, a\}^* + \{c, dc\}^*)^* =$$

$\{\epsilon, 0101a, 01c1a cdc 0101a, \dots\}$

$$\left((L)^* \right)^* =$$



lowercase letters containing a e i o u in order

$$(a + e + i + o + u)^* = \text{noise}$$

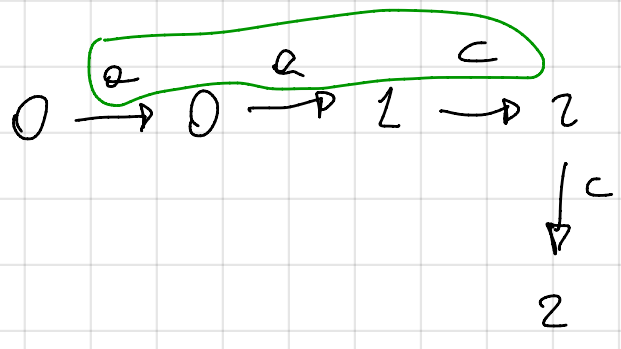
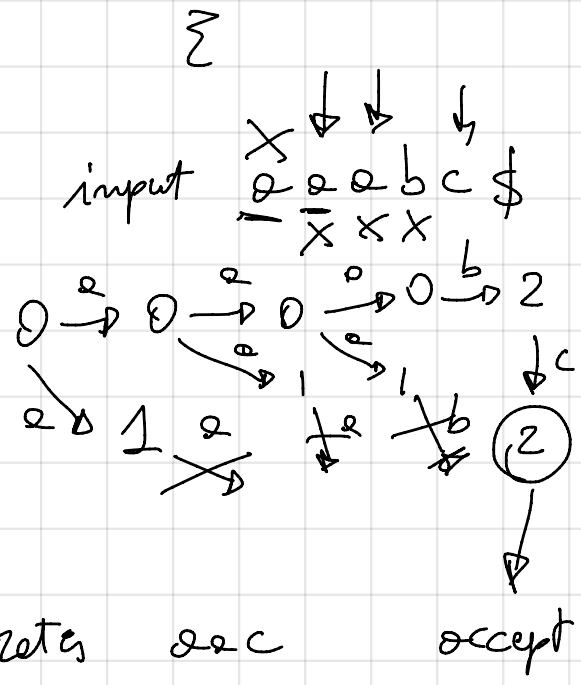
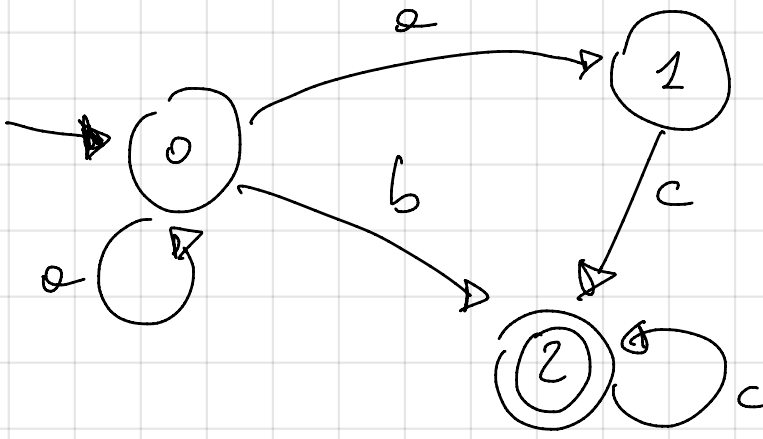
$lc \rightarrow b|c|d|f| \dots |z$

$$p_2 \rightarrow lc^* a lc^* e lc^* i lc^* o lc^* u lc^*$$

$$p_2' \rightarrow lc^* (a lc^*)^* (e lc^*)^* (i lc^*)^* \dots$$

all strings of digits with no repeated digits

ex. 10, 2340, 381, 0, --



generates

aac

accept

aacc