# Domain Specific Formal Languages – A Calculus for Orchestration of Web Services –

#### Francesco Tiezzi



School of Science and Technology Computer Science Division University of Camerino

### A.A. 2016/2017

# Motivation

### Deficiency

Current software engineering technologies for SOC

- remain at a linguistic level
- do not support analytical tools for checking that SOC applications enjoy desirable correctness properties



#### Goal

Develop *formal reasoning mechanisms* and *analytical tools* for checking that services (possibly resulting from a *composition*) meet desirable properties and do not manifest unexpected behaviors

# Motivation

### Deficiency

Current software engineering technologies for SOC

- remain at a linguistic level
- do not support analytical tools for checking that SOC applications enjoy desirable correctness properties



### Goal

Develop *formal reasoning mechanisms* and *analytical tools* for checking that services (possibly resulting from a *composition*) meet desirable properties and do not manifest unexpected behaviors

# Approach

### Goal

Developing *formal reasoning mechanisms* and *analytical tools* for checking that the services resulting from a *composition* meet desirable correctness properties and do not manifest unexpected behaviors

### Approach: rely on Process Calculi

- Convey in a distilled form the paradigm at the heart of SOC (being defined algebraically, they are inherently compositional)
- Provide linguistic formalisms for description of service-based applications and their composition
- Hand down a large set of reasoning mechanisms and analytical tools, e.g. typing systems and model checkers

# Approach

### Goal

Developing *formal reasoning mechanisms* and *analytical tools* for checking that the services resulting from a *composition* meet desirable correctness properties and do not manifest unexpected behaviors



### Approach: rely on Process Calculi

- Convey in a distilled form the paradigm at the heart of SOC (being defined algebraically, they are inherently compositional)
- Provide linguistic formalisms for description of service-based applications and their composition
- Hand down a large set of reasoning mechanisms and analytical tools, e.g. typing systems and model checkers

### Process Calculi for SOC

 To model service composition, many process calculi-like formalisms have been designed

 Most of them only consider a few specific features separately, possibly by embedding 'ad hoc' constructs within some well-studied process calculus (e.g., the variants of CSP/π-calculus with transactions)

 One major goal is assessing the adequacy of diverse sets of primitives w.r.t. modelling, combining and analysing service-oriented systems

Process calculi for SOC can be classified according to the approach used for maintaining the link between *caller* and *callee* 

- Sessions: the link is determined by a private channel that is implicitly created when the first message exchange of a conversation takes place
- Correlations: the link is determined by correlation values included in the exchanged messages
- No link: some works do not take into account this aspect e.g. webπ, webπ∞, CSP/π-calculus + transactions, ...

Process calculi for SOC can be classified according to the approach used for maintaining the link between *caller* and *callee* 

- Sessions: the link is determined by a private channel that is implicitly created when the first message exchange of a conversation takes place
- Correlations: the link is determined by correlation values included in the exchanged messages
- ► No link: some works do not take into account this aspect e.g. webπ, webπ∞, CSP/π-calculus + transactions, ...

Process calculi for SOC can be classified according to the approach to maintain the link between *caller* and *callee* 

- Sessions: the link is determined by a private channel that is implicitly created when the first message exchange of a conversation takes place
  - *dyadic*: they can be further grouped according to the inter-session communication mechanism
    - CASPIS: dataflow communication
    - SSCC: stream-based communication
    - $\pi$ -calculus + sessions (in many works): session delegation
  - ★ multiparty:
    - Conversation Calculus,  $\mu$ se,
      - $\pi$ -calculus + (asynchronous/synchronous) multiparty sessions
- Correlations: the link is determined by correlation values included in the exchanged messages
  - ★ stateful: every service instance has an explicit state
    - WS-CALCULUS
    - SOCK
  - ★ stateless: state is not explicitly modelled
    - COWS

# Process calculi for SOC can be classified according to the approach to maintain the link between *caller* and *callee*

- Sessions: the link is determined by a private channel that is implicitly created when the first message exchange of a conversation takes place
  - ★ dyadic: they can be further grouped according to the inter-session communication mechanism
    - CASPIS: dataflow communication
    - SSCC: stream-based communication
    - $\pi$ -calculus + sessions (in many works): delegation
  - ★ multiparty:
    - Conversation Calculus,  $\mu$ se  $\pi$ -calculus + (asynchronous/synchronous) multiparty sessions

#### Correlations: the link is determined by correlation values included in the exchanged messages

- \* stateful: every service instance has an explicit state
  - WS-CALCULUS
  - SOCK
- \* stateless: state is not explicitly modelled
  - COWS

# Process calculi for SOC can be classified according to the approach to maintain the link between *caller* and *callee*

- Sessions: the link is determined by a private channel that is implicitly created when the first message exchange of a conversation takes place
- Correlations: the link is determined by correlation values included in the exchanged messages
  - ★ stateful: every service instance has an explicit state - WS-CALCULUS
    - SOCK
  - \* stateless: state is not explicitly modelled
    - COWS

### COWS [ESOP'07]

A process calculus for specifying and combining service-oriented applications, while modelling their dynamic behaviour

#### An introduction to COWS

COWS: a Calculus for Orchestration of Web Services



#### Inspired by

### the OASIS Standard WS-BPEL for WS orchestration

- previous work on process calculi
- Indeed, COWS intends to be a foundational model not specifically tight to Web services' current technologies
- COWS combines in an original way a number of constructs and features borrowed from well-known process calculi

COWS: a Calculus for Orchestration of Web Services





- Inspired by
  - the OASIS Standard WS-BPEL for WS orchestration
  - previous work on process calculi
- Indeed, COWS intends to be a foundational model not specifically tight to Web services' current technologies
- COWS combines in an original way a number of constructs and features borrowed from well-known process calculi

# COWS: a Calculus for Orchestration of Web Services



- Inspired by
  - the OASIS Standard WS-BPEL for WS orchestration
  - previous work on process calculi
- Indeed, COWS intends to be a foundational model not specifically tight to Web services' current technologies
- COWS combines in an original way a number of constructs and features borrowed from well-known process calculi











 μCOWS<sup>m</sup> (micro COWS minus priority)

 Communication activities

 Invoke
 Receive

 Control flow activities

 Parallel composition
 Choice

 Replication
 Delimitation

μCOWS<sup>m</sup> (micro COWS minus priority)Communication activities• Invoke• ReceiveControl flow activities• Parallel composition• Choice• Replication• Delimitation

• Priority in the parallel composition







A gentle introduction to COWS

COWS

# Syntax of $\mu COWS^m$

$s ::= u \cdot u' ! \overline{\epsilon}$	(services) (invoke)	(notations) $\epsilon$ : <i>expressions</i>
$  \sum_{i=0}^{\prime} g_i \cdot s_i$	(receive-guarded choice)	x: variables
<i>s</i>   <i>s</i>	(parallel composition)	v: values
[ <i>u</i> ] s	(delimitation)	n, p, o: names
* <b>S</b>	(replication)	u: variables   names
<i>g</i> ::=	(guards)	w: variables values
p•o?₩	(receive)	

### $\mu COWS^m$ vs. $\pi$ -calculus, fusion, Value-passing CCS, D $\pi$ , ...

<ul> <li>asynchronous and polyadic communication</li> <li>input – guarded choice</li> <li>polyadic synchronization</li> <li>localised channels</li> </ul>	$\left. \right\} \pi\text{-calculus}$
• global scoping (and non – binding input)	} fusion
• distinction between variables and values	$\}$ vp CCS, App. $\pi$ -calculus, D $\pi$
• pattern – matching	} Klaim

# Syntax of µCOWS<sup>m</sup>

#### Notations

- The exact syntax of expressions is deliberately omitted
- $\bar{}$  denotes tuples of objects, e.g.  $\bar{w}$  is a tuple of variables and/or values

# Syntax of µCOWS<sup>m</sup>

<i>S</i> ::=	(services)
<b>u•u</b> ′!ē	(invoke)
$ \sum_{i=0}^{r} g_i \cdot s_i $	(receive-guarded choice)
s s	(parallel composition)
[ <i>u</i> ] s	(delimitation)
* <b>S</b>	(replication)
<i>g</i> ::=	(guards)
<b>p∙</b> o?₩	(receive)

(notations) ϵ: *expressions x*: *variables v*: *values n*, *p*, *o*: *names u*: *variables* | *names w*: *variables* | *values* 

#### **Communication activities**

- Services are provided and invoked through communication *endpoints*, written as *p*•*o* (i.e. 'partner name' plus 'operation name')
- Receive activities bind neither names nor variables
- Communication is regulated by pattern-matching
- Partner names and operation names can be exchanged when communicating (only the 'send capability' is passed over)
- Communication is asynchronous

# Syntax of $\mu COWS^m$

S ::=	(services)	(notations)
$u \cdot u'! \overline{\epsilon}$	(invoke)	$\epsilon$ : expressions
$\sum_{i=0}^{\prime} g_i \cdot s_i$	(receive-guarded choice)	x: variables
s s	(parallel composition)	v: values
[ <i>u</i> ] <i>s</i>	(delimitation)	n, p, o: names
* <b>S</b>	(replication)	u: variables names
g ::=	(guards)	w: variables values
<b>p•</b> 0?₩	(receive)	

#### Choice

ullet + abbreviates binary choice, while empty choice will be denoted by  $oldsymbol{0}$ 

# Syntax of $\mu COWS^m$

S ::=	(services)
$u \bullet u' ! \overline{\epsilon}$	(invoke)
$ \sum_{i=0}^{r} g_i.s_i $	(receive-guarded choice)
S S	(parallel composition)
[ <i>u</i> ] s	(delimitation)
* <b>S</b>	(replication)
<i>g</i> ::=	(guards)
<b>p∙</b> o?₩	(receive)

(notations)
ϵ: expressions
 x: variables
 v: values
 n, p, o: names
u: variables | names
w: variables | values

#### **Parallel composition**

Permits interleaving executions of activities

# Syntax of µCOWS<sup>m</sup>

S ∷=	(services)	1
$u \bullet u' ! \overline{\epsilon}$	(invoke)	L
$ \sum_{i=0}^{r} g_i.s_i $	(receive-guarded choice)	L
S   S	(parallel composition)	L
[ <i>u</i> ] <i>s</i>	(delimitation)	L
* <b>S</b>	(replication)	L
<i>g</i> ::=	(guards)	L
<b>p∙</b> o?₩	(receive)	L

(notations) ϵ: *expressions x*: *variables v*: *values n*, *p*, *o*: *names u*: *variables* | *names w*: *variables* | *values* 

#### Delimitation

- Only one binding construct: [u] s binds u in the scope s
  - free/bound names and variables and closed terms defined accordingly
- Delimitation is used to:



2 generate fresh names

# Syntax of $\mu COWS^m$

$s ::= u \cdot u' ! \overline{e} \\   \sum_{i=0}^{r} g_{i.} s_{i} \\   s   s \\   [u] s \\   * s$	(services) (invoke) (receive-guarded choice) (parallel composition) (delimitation) (replication)	(notations) ϵ: expressions x: variables v: values n, p, o: names u: variables   names
g ∷= p∙o?w	(guards) (receive)	w: variables values

#### Replication

• Permits implementing persistent services and recursive behaviours

# µCOWS<sup>m</sup> operational semantics

### Labelled transition relation $\xrightarrow{\alpha}$

Label  $\alpha$  is generated by the following grammar:

$$\alpha \ ::= \ \mathbf{n} \lhd \mathbf{\bar{v}} \ | \ \mathbf{n} \rhd \mathbf{\bar{w}} \ | \ \sigma$$

where  $\sigma$  is a *substitution* 

i.e. a function from variables to values (written as collections of pairs  $x \mapsto v$ ) and n denotes endpoints (i.e.  $p \cdot o$ )

#### Structural congruence $\equiv$

Standard laws for  $\sum$ , | and \*, plus:

- $[u] \mathbf{0} \equiv \mathbf{0}$
- $[u_1][u_2]s \equiv [u_2][u_1]s$
- $s_1 | [u] s_2 \equiv [u] (s_1 | s_2)$  if  $u \notin fu(s_1)$

fu(s) denotes the set of elements occurring free in s

# µCOWS<sup>m</sup> operational semantics

### Labelled transition relation $\xrightarrow{\alpha}$

Label  $\alpha$  is generated by the following grammar:

$$\alpha ::= \mathbf{n} \lhd \mathbf{\bar{v}} \mid \mathbf{n} \rhd \mathbf{\bar{w}} \mid \sigma$$

where  $\sigma$  is a *substitution* 

i.e. a function from variables to values (written as collections of pairs  $x \mapsto v$ ) and n denotes endpoints (i.e.  $p \cdot o$ )

#### Structural congruence $\equiv$

Standard laws for  $\sum$ , | and \*, plus:

• 
$$[u] \mathbf{0} \equiv \mathbf{0}$$

• 
$$[u_1][u_2]s \equiv [u_2][u_1]s$$

•  $s_1 | [u] s_2 \equiv [u] (s_1 | s_2)$  if  $u \notin fu(s_1)$ 

fu(s) denotes the set of elements occurring free in s

# μCOWS<sup>m</sup>: Invoke/receive activities & Choice

#### Invoke activities

- Can proceed only if the expressions in the argument can be evaluated
- Evaluation function [\_]: takes closed expressions and returns values

$$\llbracket \bar{\epsilon} \rrbracket = \bar{\nu}$$
  
n! $\bar{\epsilon} \xrightarrow{n \triangleleft \bar{\nu}} \mathbf{0}$ 

#### Choice (among receive activities)

- Offers an alternative choice of endpoints
- It is not a binder for names and variables (delimitation is used to delimit their scope)

$$\sum_{i=1}^{r} n_i ? \bar{w}_i . s_i \xrightarrow{n_j \triangleright \bar{w}_j} s_j \qquad (1 \le j \le r)$$

### $\mu COWS^m$ : Parallel composition

 Communication takes place when two parallel services perform matching receive and invoke activities

$$\frac{s_1 \xrightarrow{n \vartriangleright \bar{w}} s'_1 \quad s_2 \xrightarrow{n \triangleleft \bar{v}} s'_2 \quad \mathcal{M}(\bar{w}, \bar{v}) = \sigma}{s_1 \mid s_2 \xrightarrow{\sigma} s'_1 \mid s'_2}$$

Execution of parallel services is interleaved

$$\begin{array}{c} s_1 \stackrel{\alpha}{\longrightarrow} s'_1 \\ \hline s_1 \mid s_2 \stackrel{\alpha}{\longrightarrow} s'_1 \mid s_2 \end{array}$$

#### Matching function

$$\begin{array}{l} X \mapsto V \\ \end{array} \qquad \begin{array}{l} \mathcal{M}(v,v) = \emptyset \\ \mathcal{M}(\langle \rangle, \langle \rangle) = \emptyset \end{array} \qquad \begin{array}{l} \mathcal{M}(w_1,v_1) = \sigma_1 \quad \mathcal{M}(\bar{w}_2,\bar{v}_2) = \sigma_2 \\ \hline \mathcal{M}((w_1,\bar{w}_2),(v_1,\bar{v}_2)) = \sigma_1 \uplus \sigma_2 \end{array}$$
# $\mu COWS^m$ : Parallel composition

 Communication takes place when two parallel services perform matching receive and invoke activities

$$\frac{S_1 \xrightarrow{n \rhd \bar{W}} S'_1 \quad S_2 \xrightarrow{n \triangleleft \bar{V}} S'_2 \quad \mathcal{M}(\bar{W}, \bar{V}) = \sigma}{S_1 \mid S_2 \xrightarrow{\sigma} S'_1 \mid S'_2}$$

Execution of parallel services is interleaved

$$egin{array}{c} s_1 \stackrel{lpha}{\longrightarrow} s_1' \ \hline s_1 \mid s_2 \stackrel{lpha}{\longrightarrow} s_1' \mid s_2 \end{array}$$

#### Matching function

$$\mathcal{M}(x,v) = \{x \mapsto v\} \qquad \begin{array}{c} \mathcal{M}(v,v) = \emptyset \\ \mathcal{M}(\langle \rangle, \langle \rangle) = \emptyset \end{array} \qquad \begin{array}{c} \mathcal{M}(w_1,v_1) = \sigma_1 \quad \mathcal{M}(\bar{w}_2,\bar{v}_2) = \sigma_2 \\ \mathcal{M}(\langle v_1,\bar{w}_2), (v_1,\bar{v}_2)) = \sigma_1 \uplus \sigma_2 \end{array}$$

### $\mu COWS^m$ : Parallel composition

 Communication takes place when two parallel services perform matching receive and invoke activities

$$\frac{s_1 \xrightarrow{n \, \triangleright \, \bar{w}} S'_1}{s_1 \xrightarrow{n \, \triangleleft \, \bar{v}} S'_2} \xrightarrow{M(\bar{w}, \bar{v}) = \sigma}{s_1 \mid s_2 \xrightarrow{\sigma} S'_1 \mid S'_2}$$

Execution of parallel services is interleaved

$$\frac{s_1 \stackrel{\alpha}{\longrightarrow} s_1'}{s_1 \mid s_2 \stackrel{\alpha}{\longrightarrow} s_1' \mid s_2}$$

#### Matching function

$$\begin{array}{c} \mathcal{M}(v,v) = \emptyset & \mathcal{M}(w_1,v_1) = \sigma_1 \quad \mathcal{M}(\bar{w}_2,\bar{v}_2) = \sigma_2 \\ \mathcal{M}(\langle\rangle,\langle\rangle) = \emptyset & \overline{\mathcal{M}((w_1,\bar{w}_2),(v_1,\bar{v}_2)) = \sigma_1 \uplus \sigma_2} \end{array}$$

# $\mu COWS^m$ : Delimitation

- [u] s behaves like s, except when the transition label  $\alpha$  contains u
- When the whole scope of a variable x is determined, and a communication involving x within that scope is taking place the delimitation is removed and the substitution for x is performed

$$\frac{s \xrightarrow{\alpha} s' \quad u \notin u(\alpha)}{[u] s \xrightarrow{\alpha} [u] s'} \qquad \qquad \frac{s \xrightarrow{\sigma \uplus \{x \mapsto v\}} s'}{[x] s \xrightarrow{\sigma} s' \cdot \{x \mapsto v\}}$$

*Substitutions* (ranged over by  $\sigma$ ):

- functions from variables to values (written as collections of pairs  $x \mapsto v$ )
- $\sigma_1 \uplus \sigma_2$  denotes the union of  $\sigma_1$  and  $\sigma_2$  when they have disjoint domains

 $u(\alpha)$  avoids capturing endpoints of actual communications, it denotes the set of elements occurring in  $\alpha$ ,

#### $\mu COWS^m$ operational semantics

#### Labelled transition rules

$$\begin{array}{c} \llbracket \bar{\boldsymbol{\epsilon}} \rrbracket = \bar{\boldsymbol{\nu}} & 1 \leq j \leq r \\ \hline n! \bar{\boldsymbol{\epsilon}} \xrightarrow{n \lhd \bar{\boldsymbol{\nu}}} \boldsymbol{0} & \sum_{i=1}^{r} n_i ? \bar{\boldsymbol{w}}_i . \boldsymbol{s}_i \xrightarrow{n_j \rhd \bar{\boldsymbol{w}}_j} \boldsymbol{s}_j \end{array}$$

$$\frac{s_1 \xrightarrow{n \, \triangleright \, \bar{w}} s'_1 \quad s_2 \xrightarrow{n \, \triangleleft \, \bar{v}} s'_2}{s_1 \mid s_2 \xrightarrow{\sigma} s'_1 \mid s'_2} \qquad \mathcal{M}(\bar{w}, \bar{v}) = \sigma \qquad \frac{s_1 \xrightarrow{\alpha} s'_1}{s_1 \mid s_2 \xrightarrow{\alpha} s'_1 \mid s_2}$$

$$\frac{s \xrightarrow{\sigma \uplus \{x \mapsto v\}} s'}{[x] \ s \xrightarrow{\sigma} s' \cdot \{x \mapsto v\}} \qquad \frac{s \xrightarrow{\alpha} s' \quad u \notin u(\alpha)}{[u] \ s \xrightarrow{\alpha} [u] \ s'} \qquad \frac{s \equiv \xrightarrow{\alpha} \exists s'}{s \xrightarrow{\alpha} s'}$$

# μCOWS<sup>m</sup>: simple bank service example



bank∙charge!⟨c,1234,100€⟩ |[x] (c∙resp?⟨x⟩.s | s′)  $\begin{array}{l} [x_c, x_{cc}, x_{amount}] \\ \texttt{bank} \bullet \texttt{charge}? \langle x_c, x_{cc}, x_{amount} \rangle \\ x_c \bullet \texttt{resp}! \langle \texttt{chk}(x_{cc}, x_{amount}) \rangle \end{array}$ 

μCOWS<sup>m</sup>: simple bank service example



bank • charge!  $\langle c, 1234, 100 \in \rangle$ | [x] (c • resp? $\langle x \rangle$ .s | s')

 $\begin{array}{l} [x_c, x_{cc}, x_{amount}] \\ bank \bullet charge? \langle x_c, x_{cc}, x_{amount} \rangle \\ x_c \bullet resp! \langle chk(x_{cc}, x_{amount}) \rangle \end{array}$ 

μCOWS<sup>m</sup>: simple bank service example



bank • charge! ⟨c, 1234, 100€⟩ | [x] (c • resp?⟨x⟩.s | s')  $\begin{array}{l} [x_c, x_{cc}, x_{amount}] \\ bank \bullet charge? \langle x_c, x_{cc}, x_{amount} \rangle \\ x_c \bullet resp! \langle chk(x_{cc}, x_{amount}) \rangle \end{array}$ 

 $\mu COWS^m$ : *simple* bank service example



 $[x] (c \cdot resp? \langle x \rangle.s \mid s') \qquad \qquad | \qquad c \cdot resp! \langle chk(1234, 100 \textcircled{e}) \rangle$ 

 $\mu COWS^m$ : *simple* bank service example



 $[x] (c \cdot resp? \langle x \rangle . s \mid s') \qquad | \qquad c \cdot resp! \langle chk(1234, 100 \in) \rangle$ 

*µ*COWS<sup>*m*</sup>: *simple* bank service example



 $(s \mid s') \cdot \{x \mapsto \text{``ok'' / ``fail''}\} \mid \mathbf{0}$ 



[id] (bank∙charge!⟨c, 1234, id, 100€⟩ | [x] (c∙resp?⟨x⟩.s | s′) )

 $\begin{array}{l} [x_c, x_{cc}, x_{id}, x_{amount}] \\ \text{bank} \bullet \text{charge}? \langle x_c, x_{cc}, x_{id}, x_{amount} \rangle \\ x_c \bullet \text{resp}! \langle chk(x_{cc}, x_{id}, x_{amount}) \rangle \end{array}$ 



[id] (bank∙charge!⟨c, 1234, id, 100€⟩ | [x] (c∙resp?⟨x⟩.s | s′) )

 $\begin{array}{l} [x_{c}, x_{cc}, x_{id}, x_{amount}] \\ bank \cdot charge? \langle x_{c}, x_{cc}, x_{id}, x_{amount} \rangle \\ x_{c} \cdot resp! \langle chk(x_{cc}, x_{id}, x_{amount}) \rangle \end{array}$ 



 $\equiv$ 



 $\begin{pmatrix} [id, x_c, x_{cc}, x_{id}, x_{amount}] \\ \begin{pmatrix} (bank \cdot charge! \langle c, 1234, id, 100 \in \rangle \\ | [x] (c \cdot resp? \langle x \rangle. s | s') \end{pmatrix} | \begin{pmatrix} bank \cdot charge? \langle x_c, x_{cc}, x_{id}, x_{amount} \rangle. \\ x_c \cdot resp! \langle chk(x_{cc}, x_{id}, x_{amount}) \rangle \end{pmatrix} \end{pmatrix}$ 



$$( [x] (c \cdot resp? \langle x \rangle.s | s') | c \cdot resp! \langle chk(1234, id, 100 \in) \rangle )$$



\* [x<sub>c</sub>, x<sub>cc</sub>, x<sub>amount</sub>] bank • charge?  $\langle x_c, x_{cc}, x_{amount} \rangle$ . x<sub>c</sub> • resp!  $\langle chk(x_{cc}, x_{amount}) \rangle$ 

















 $* [x_c, x_{cc}, x_{amount}] bank \cdot charge? \langle x_c, x_{cc}, x_{amount} \rangle . x_c \cdot resp! \langle chk(x_{cc}, x_{amount}) \rangle \\ | c_1 \cdot resp! \langle chk(1234, 100 \textcircled{e}) \rangle | c_2 \cdot resp! \langle chk(5678, 200 \textcircled{e}) \rangle$ 





µCOWS<sup>*m*</sup>: *persistent* bank service example







[check, ok, fail] ( \* bankInterface | \* creditRating )



[check, ok, fail] ( \* bankInterface | \* creditRating )

Operational semantics of  $\mu COWS^m$ 



[check, ok, fail] ( \* bankInterface | \* creditRating )

$$\begin{array}{lll} \text{creditRating} &\triangleq & [x_{cc}, x_a] \\ & & \text{bank} \cdot \text{check}? \langle x_{cc}, x_a \rangle. \\ & & [p, o] \, ( \, p \cdot o! \langle \rangle \mid p \cdot o? \langle \rangle. \, \text{bank} \cdot \text{ok}! \langle x_{cc} \rangle \\ & & + p \cdot o? \langle \rangle. \, \text{bank} \cdot \text{fail!} \langle x_{cc} \rangle \end{array}$$






































# From $\mu COWS^m$ to $\mu COWS$

### $\mu \text{COWS}^m$

# From $\mu COWS^m$ to $\mu COWS$



### From $\mu COWS^m$ to $\mu COWS$



 $\mu$ COWS: why priority in the parallel composition?

- To deal with conflicting receives
  - e.g. in case of multiple start activities
- Parallel composition with priority can be used (together with pattern-matching) as a *coordination mechanism* 
  - e.g. to model default behaviours, transparent session joining, ...

We use a novel combination of *dynamic* priority with *local* pre-emptior *dynamic priority*: priority values of activities can change as systems evolve

*local pre-emption*: priorities have a local scope, i.e. prioritised activities can only pre-empt activities in the same scope  $\mu$ COWS: why priority in the parallel composition?

- To deal with conflicting receives
  - e.g. in case of multiple start activities
- Parallel composition with priority can be used (together with pattern-matching) as a *coordination mechanism* 
  - e.g. to model default behaviours, transparent session joining, ...

We use a novel combination of dynamic priority with local pre-emption

*dynamic priority*: priority values of activities can change as systems evolve

*local pre-emption*: priorities have a local scope, i.e. prioritised activities can only pre-empt activities in the same scope

# $\mu \text{COWS}$

#### Syntax & structural congruence

 $\mu \rm{COWS}$  syntax and the set of laws defining its structural congruence coincide with that of  $\mu \rm{COWS}^m$ 

Labelled transition relation  $\xrightarrow{\alpha}$ Label  $\alpha$  is now generated by the following gramm

where  $\ell$  is a natural number

# $\mu COWS$

#### Syntax & structural congruence

 $\mu \rm{COWS}$  syntax and the set of laws defining its structural congruence coincide with that of  $\mu \rm{COWS}^m$ 

### Labelled transition relation $\stackrel{\alpha}{\longrightarrow}$

Label  $\alpha$  is now generated by the following grammar:

$$\alpha ::= n \triangleleft \overline{\mathbf{v}} \mid n \triangleright \overline{\mathbf{w}} \mid n \sigma \ell \overline{\mathbf{v}}$$

where  $\ell$  is a natural number

- Communication takes place when two parallel services perform matching receive and invoke activities
- If more then one matching is possible the receive that needs fewer substitutions is selected to progress

$$\frac{s_1 \xrightarrow{n \, \triangleright \, \bar{\boldsymbol{w}}} \hspace{-0.5ex} \cdot \hspace{-0.5ex} s_1' \hspace{-0.5ex} s_2 \xrightarrow{n \, \triangleleft \, \bar{\boldsymbol{v}}} \hspace{-0.5ex} \cdot \hspace{-0.5ex} S_2' \hspace{-0.5ex} \mathcal{M}(\bar{\boldsymbol{w}}, \bar{\boldsymbol{v}}) \hspace{-0.5ex} = \hspace{-0.5ex} \sigma \hspace{-0.5ex} \operatorname{noConf}(s_1 \mid s_2, n, \bar{\boldsymbol{v}}, \mid \sigma \mid)}{s_1 \mid s_2 \xrightarrow{n \, \sigma \mid \sigma \mid \bar{\boldsymbol{v}}} s_1' \mid s_2'}$$

#### Conflicting receives predicate

 $noConf(s, n, \bar{v}, \ell)$  checks existence of potential communication conflicts, i.e. the ability of *s* of performing a receive activity matching  $\bar{v}$  over the endpoint n that generates a substitution with fewer pairs than  $\ell$ 

 Communication takes place when two parallel services perform matching receive and invoke activities

 If more then one matching is possible the receive that needs fewer substitutions is selected to progress

$$\frac{s_1 \xrightarrow{n \vartriangleright \bar{w}} S'_1}{s_1} \xrightarrow{s_2 \xrightarrow{n \triangleleft \bar{v}} S'_2} \mathcal{M}(\bar{w}, \bar{v}) = \sigma \quad \operatorname{noConf}(s_1 \mid s_2, n, \bar{v}, \mid \sigma \mid)}{s_1 \mid s_2 \xrightarrow{n \sigma \mid \sigma \mid \bar{v} \mid} S'_1 \mid s'_2}$$

#### Conflicting receives predicate

 $noConf(s, n, \bar{v}, \ell)$  checks existence of potential communication conflicts, i.e. the ability of *s* of performing a receive activity matching  $\bar{v}$  over the endpoint n that generates a substitution with fewer pairs than  $\ell$ 

- Communication takes place when two parallel services perform matching receive and invoke activities
- If more then one matching is possible the receive that needs fewer substitutions is selected to progress

$$\frac{S_1 \xrightarrow{n \rhd \bar{w}} S'_1 \qquad S_2 \xrightarrow{n \triangleleft \bar{v}} S'_2 \qquad \mathcal{M}(\bar{w}, \bar{v}) = \sigma \qquad \operatorname{noConf}(S_1 \mid S_2, n, \bar{v}, |\sigma|)}{S_1 \mid S_2 \xrightarrow{n \sigma \mid \sigma \mid \bar{v}} S'_1 \mid S'_2}$$

#### Conflicting receives predicate

 $noConf(s, n, \bar{v}, \ell)$  checks existence of potential communication conflicts, i.e. the ability of *s* of performing a receive activity matching  $\bar{v}$  over the endpoint n that generates a substitution with fewer pairs than  $\ell$ 

- Communication takes place when two parallel services perform matching receive and invoke activities
- If more then one matching is possible the receive that needs fewer substitutions is selected to progress

$$\frac{S_1 \xrightarrow{n \, \triangleright \, \bar{\boldsymbol{w}}} S_1' \quad S_2 \xrightarrow{n \, \triangleleft \, \bar{\boldsymbol{v}}} S_2' \quad \mathcal{M}(\bar{\boldsymbol{w}}, \bar{\boldsymbol{v}}) = \sigma \quad \operatorname{noConf}(S_1 \mid S_2, n, \bar{\boldsymbol{v}}, |\sigma|)}{S_1 \mid S_2 \xrightarrow{n \, \sigma \, |\sigma| \, \bar{\boldsymbol{v}}} S_1' \mid S_2'}$$

Conflicting receives predicate (inductive definition, part 1/2)

$$noConf(kill(k), n, \bar{v}, \ell) = noConf(u!\bar{\epsilon}, n, \bar{v}, \ell) = true$$

$$\operatorname{hoConf}(\sum_{i=1}^{r} n_{i}?\bar{w}_{i}.s_{i}, n, \bar{v}, \ell) = \begin{cases} \text{false} & \text{if } \exists i . n_{i} = n \land |\mathcal{M}(\bar{w}_{i}, \bar{v})| < \ell \\ \text{true} & \text{otherwise} \end{cases}$$

- Communication takes place when two parallel services perform matching receive and invoke activities
- If more then one matching is possible the receive that needs fewer substitutions is selected to progress

$$\frac{S_1 \xrightarrow{n \, \triangleright \, \bar{w}} S_1' \qquad S_2 \xrightarrow{n \, \triangleleft \, \bar{v}} S_2' \qquad \mathcal{M}(\bar{w}, \bar{v}) = \sigma \qquad \operatorname{noConf}(S_1 \mid S_2, n, \bar{v}, |\sigma|)}{S_1 \mid S_2 \xrightarrow{n \, \sigma \, |\sigma| \, \bar{v}} S_1' \mid S_2'}$$

Conflicting receives predicate (inductive definition, part 2/2)

 $noConf(s | s', n, \bar{v}, \ell) = noConf(s, n, \bar{v}, \ell) \land noConf(s', n, \bar{v}, \ell)$ 

$$noConf([u] s, n, \bar{v}, \ell) = \begin{cases} noConf(s, n, \bar{v}, \ell) & \text{if } u \notin n \\ true & \text{otherwise} \end{cases}$$

 $noConf(\{ s\}, n, \bar{v}, \ell) = noConf(*s, n, \bar{v}, \ell) = noConf(s, n, \bar{v}, \ell)$ 

Execution of parallel services is interleaved, when no communication is involved:

$$\frac{s_1 \xrightarrow{\alpha} s'_1 \qquad \alpha \neq n \sigma \ell \bar{v}}{s_1 \mid s_2 \xrightarrow{\alpha} s'_1 \mid s_2}$$

 In case of communications, the receive activity with greater priority progresses:

$$\frac{s_1 \xrightarrow{\text{n} \sigma \ell V} S'_1 \quad \text{noConf}(s_2, \text{n}, \overline{V}, \ell)}{s_1 \mid s_2 \xrightarrow{\text{n} \sigma \ell \overline{V}} S'_1 \mid s_2}$$

Execution of parallel services is interleaved, when no communication is involved:

$$\frac{s_1 \xrightarrow{\alpha} s'_1 \qquad \alpha \neq n \sigma \ell \bar{\nu}}{s_1 \mid s_2 \xrightarrow{\alpha} s'_1 \mid s_2}$$

 In case of communications, the receive activity with greater priority progresses:

$$\frac{s_1 \xrightarrow{\text{n } \sigma \, \ell \, V} S'_1 \quad \text{noConf}(s_2, \text{n}, \overline{v}, \ell)}{s_1 \mid s_2 \xrightarrow{\text{n } \sigma \, \ell \, \overline{v}} S'_1 \mid s_2}$$

Execution of parallel services is interleaved, when no communication is involved:

$$\frac{\mathbf{s}_{1} \stackrel{\alpha}{\longrightarrow} \mathbf{s}_{1}' \qquad \alpha \neq \mathbf{n} \, \sigma \, \ell \, \bar{\mathbf{v}}}{\mathbf{s}_{1} \mid \mathbf{s}_{2} \stackrel{\alpha}{\longrightarrow} \mathbf{s}_{1}' \mid \mathbf{s}_{2}}$$

 In case of communications, the receive activity with greater priority progresses:

$$\frac{s_1 \xrightarrow{\text{n}\,\sigma\,\ell\,\nu} S'_1 \quad \text{noConf}(s_2, \text{n}, \bar{\nu}, \ell)}{s_1 \mid s_2 \xrightarrow{\text{n}\,\sigma\,\ell\,\bar{\nu}} S'_1 \mid s_2}$$

# $\mu$ COWS: Delimitation

• Rules for delimitation are tailored to deal with labels  $n \sigma \ell \bar{v}$ 

$$\frac{s \xrightarrow{\alpha \sigma \uplus \{x \mapsto v\} \ \ell \ \overline{\nu}} s'}{[x] \ s \xrightarrow{\alpha \sigma \ \ell \ \overline{\nu}} s' \cdot \{x \mapsto v\}} \qquad \frac{s \xrightarrow{\alpha} s' \quad u \notin u(\alpha)}{[u] \ s \xrightarrow{\alpha} [u] \ s'}$$

where

 $u(\alpha)$  is extended with  $u(n \sigma \ell \bar{v}) = u(\sigma)$ 

# $\mu$ COWS: Delimitation

• Rules for delimitation are tailored to deal with labels  $n \sigma \ell \bar{v}$ 

$$\frac{s \xrightarrow{n \sigma \uplus \{x \mapsto v\} \ell \bar{v}} s'}{[x] s \xrightarrow{n \sigma \ell \bar{v}} s' \cdot \{x \mapsto v\}} \qquad \frac{s \xrightarrow{\alpha} s' \quad u \notin \mathbf{u}(\alpha)}{[u] s \xrightarrow{\alpha} [u] s'}$$

where

$$u(\alpha)$$
 is extended with  $u(n \sigma \ell \bar{v}) = u(\sigma)$ 

# µCOWS operational semantics



A gentle introduction to COWS



| (bank•charge1!(c<sub>1</sub>, 1234, 100€, info) |  $s'_1$ ) | (bank•charge2!(c<sub>2</sub>, 1234, 100€) |  $s'_2$ )

# µCOWS: joint account service example



\*  $[X_{c1}, X_{c2}, X_{cc}, X_{amount}, X_{info}] (bank \cdot charge1?\langle x_{c1}, X_{cc}, X_{amount}, X_{info} \rangle.s_1 | bank \cdot charge2?\langle x_{c2}, x_{cc}, x_{amount} \rangle.s_2)$ 

(bank•charge1! $\langle c_1, 1234, 100 \in$ , info $\rangle | s'_1$ ) (bank•charge2! $\langle c_2, 1234, 100 \in \rangle | s'_2$ )

### µCOWS: *joint account* service example



### µCOWS: joint account service example



(bank•charge1!( $c_1$ , 1234, 100€, info) |  $s'_1$ ) (bank•charge2!( $c_2$ , 1234, 100€) |  $s'_2$ )
### µCOWS: *joint account* service example





 $\begin{aligned} & * \left[ x_{c1}, x_{c2}, x_{cc}, x_{amount}, x_{info} \right] \left( \begin{array}{c} bank \bullet charge1? \langle x_{c1}, x_{cc}, x_{amount}, x_{info} \rangle . s_{1} \\ & | \ bank \bullet charge2? \langle x_{c2}, x_{cc}, x_{amount} \rangle . s_{2} \end{array} \right) \\ & | \ \left( \begin{array}{c} bank \bullet charge1? \langle x_{c1}, 1234, 100 \Subset, x_{info} \rangle . s_{1} \\ & | \ s_{2} \end{array} \right) \cdot \left\{ \cdots \mapsto \cdots \right\} \\ & | \ \left( \begin{array}{c} bank \bullet charge1! \langle c_{1}, 1234, 100 \And, info \rangle \\ & | \ s_{1} \end{array} \right) | \ \left( \begin{array}{c} s_{2} \end{array} \right) \end{aligned}$ 



#### Multiple start activities

The service can receive multiple messages in a statically unpredictable order s.t.

- the first incoming message triggers creation of a service instance
- subsequent messages are delivered to the created instance

#### $\mu$ COWS: *joint account* service example $X_{c1}, X_{cc},$ c<sub>1</sub>,1234,100€, Xamount, \* co-holder1 bank service info Xinfo bank charge1 charge1 bank . . . $X_{c2}, X_{cc},$ Xamount charge2 bank enabled communication co-holder2 x<sub>c1</sub>,1234, 100€,Xinfo charge1 bank . . .

### µCOWS: joint account service example



### $\mu$ COWS: *joint account* service example $X_{c1}, X_{cc},$ co-holder1 Xamount, **\* bank service** Xinfo charge1 bank . . . $X_{c2}, X_{cc},$ x<sub>amount</sub> charge2 bank co-holder2 . . . \* $[x_{c1}, x_{c2}, x_{cc}, x_{amount}, x_{info}]$ (bank • charge 1? $\langle x_{c1}, x_{cc}, x_{amount}, x_{info} \rangle$ . s bank • charge 2? $\langle x_{c2}, x_{cc}, x_{amount} \rangle$ . $s_2$ ) $(s_1 \mid s_2) \cdot \{\cdots \mapsto \cdots\}$ $(S'_1) | (S'_2)$

#### Default behaviour

Consider a service providing mathematical functionalities e.g. sum of two integers between 0 and 5

\* [x, y, z] ( math • sum?  $\langle x, y, z \rangle$ .  $x \cdot resp! \langle error \rangle$ + math • sum?  $\langle x, 0, 0 \rangle$ .  $x \cdot resp! \langle 0 \rangle$ + math • sum?  $\langle x, 0, 1 \rangle$ .  $x \cdot resp! \langle 1 \rangle$ + ... + math • sum?  $\langle x, 5, 5 \rangle$ .  $x \cdot resp! \langle 10 \rangle$  )

In case the two values are not admissible, i.e. they are not integers between 0 and 5, the service replies with the string *error* 

### 'Only the first time' behaviour

Consider a service that has a certain behaviour at the first correct invocation and a different behaviour at any incorrect or further invocation (useful, e.g., for compensation handling à la WS-BPEL)

> $p \cdot comp? \langle scopeName \rangle$ . (compensation of  $scopeName \rangle$ |  $* [x] p \cdot comp? \langle x \rangle$ . (do nothing)

### 'Blind date' session joining

Consider a service capable of arranging matches of 4-players online games

 $masterServ \triangleq * [x_{game}, x_{player1}, x_{player2}, x_{player3}, x_{player4}] \\ master \cdot join? \langle x_{game}, x_{player1} \rangle. \\ master \cdot join? \langle x_{game}, x_{player2} \rangle. \\ master \cdot join? \langle x_{game}, x_{player3} \rangle. \\ master \cdot join? \langle x_{game}, x_{player3} \rangle. \\ [matchId] (x_{player1} \cdot start! \langle matchId \rangle \\ | x_{player2} \cdot start! \langle matchId \rangle \\ | x_{player3} \cdot start! \langle matchId \rangle \\ | x_{player4} \cdot start! \langle matchId \rangle \\ | x$ 

 $Player_i \triangleq master \cdot join! \langle poker, p_i \rangle | [x_{id}] p_i \cdot start? \langle x_{id} \rangle. \langle rest of Player_i \rangle$ 

 $Player_j \triangleq master \cdot join! \langle bridge, p_j \rangle | [x_{id}] p_j \cdot start? \langle x_{id} \rangle. \langle rest of Player_j \rangle$ 

It could be hard to render this behaviour with other process calculi

### 'Blind date' session joining

Consider a service capable of arranging matches of 4-players online games

 $masterServ \triangleq * [x_{game}, x_{player1}, x_{player2}, x_{player3}, x_{player4}] \\ master \cdot join? \langle x_{game}, x_{player1} \rangle. \\ master \cdot join? \langle x_{game}, x_{player2} \rangle. \\ master \cdot join? \langle x_{game}, x_{player3} \rangle. \\ master \cdot join? \langle x_{game}, x_{player3} \rangle. \\ [matchId] (x_{player1} \cdot start! \langle matchId \rangle \\ | x_{player2} \cdot start! \langle matchId \rangle \\ | x_{player3} \cdot start! \langle matchId \rangle \\ | x_{player4} \cdot start! \langle matchId \rangle \\ | x$ 

 $Player_i \triangleq master \cdot join! \langle poker, p_i \rangle | [x_{id}] p_i \cdot start? \langle x_{id} \rangle. \langle rest of Player_i \rangle$ 

 $Player_i \triangleq master \cdot join! \langle bridge, p_i \rangle | [x_{id}] p_i \cdot start? \langle x_{id} \rangle. \langle rest of Player_i \rangle$ 

It could be hard to render this behaviour with other process calculi

### From $\mu$ COWS to COWS

### $\mu \text{COWS}$

### From $\mu$ COWS to COWS



### From $\mu$ COWS to COWS



### COWS: why termination activities?

- To handle faults and enable compensation
- Itermination activities can be used as orchestration mechanisms
  - E.g. to model the asymmetric parallel composition of Orc (i.e. the pruning construct, that prunes threads selectively)

# Syntax of COWS

<i>s</i> ∷=	(services)	
	kill(k)	(kill)
	$u \bullet u' ! \overline{\epsilon}$	(invoke)
	$\sum_{i=0}^{r} g_i \cdot s_i$	(receive-guarded choice)
	s s	(parallel composition)
	{  <i>s</i>  }	(protection)
	[ <del>e</del> ] s	(delimitation)
	* <b>S</b>	(replication)
<i>g</i> ∷=	(g	juards)
	p•o?₩	(receive)

(notations)
k: (killer) labels
c: expressions
x: variables
v: values
n, p, o: names
u: variables | names
w: variables | values
e: labels | variables | names

- Killer labels cannot occur within expressions
   ⇒ they are not (communicable) values
- Only one binding construct: [*e*] *s* binds *e* in the scope *s* 
  - free/bound *elements* (i.e. names/variables/labels) defined accordingly

# COWS operational semantics

### Additional structural congruence laws

- $\{|0|\} \equiv 0$   $\{|s|\} \in |s|\} = |s|\} = |e||s|\}$
- $s_1 \mid [e] s_2 \equiv [e] (s_1 \mid s_2)$  if  $e \notin fe(s_1) \cup fk(s_2)$ 
  - fe(s) denotes the set of elements occurring free in s
  - fk(s) denotes the set of free killer labels in s
  - thus, differently from names/variables, the scope of killer labels cannot be extended

### Labelled transition relation $\stackrel{\alpha}{\longrightarrow}$

Label  $\alpha$  is now generated by the following grammar:

 $\alpha ::= \mathbf{n} \triangleleft \mathbf{\bar{v}} \mid \mathbf{n} \triangleright \mathbf{\bar{w}} \mid \mathbf{n} \sigma \ell \mathbf{\bar{v}} \mid \mathbf{k} \mid \dagger$ 

 Activity kill(k) forces termination of all unprotected parallel activities inside an enclosing [k], that stops the killing effect

$$\mathbf{kill}(k) \xrightarrow{k} \mathbf{0} \qquad \frac{s_1 \xrightarrow{k} s_1'}{s_1 \mid s_2 \xrightarrow{k} s_1' \mid \mathrm{halt}(s_2)} \qquad \frac{s \xrightarrow{k} s'}{[k] s \xrightarrow{\dagger} [k] s'}$$

 Activity kill(k) forces termination of all unprotected parallel activities inside an enclosing [k], that stops the killing effect

$$\mathbf{kill}(k) \xrightarrow{k} \mathbf{0} \qquad \frac{s_1 \xrightarrow{k} s'_1}{s_1 \mid s_2 \xrightarrow{k} s'_1 \mid \mathbf{halt}(s_2)} \qquad \frac{s \xrightarrow{k} s'}{[k] s \xrightarrow{\dagger} [k] s'}$$

### Function halt(*s*)

returns the service obtained by only retaining the protected activities inside  $\boldsymbol{s}$ 

$$halt(\mathbf{kill}(k)) = halt(u!\overline{e}) = halt(\sum_{i=0}^{r} n_i ? \overline{w}_i . s_i) = \mathbf{0}$$

$$halt(s_1 | s_2) = halt(s_1) | halt(s_2) \qquad halt(\{|s|\}) = \{|s|\}$$

$$halt([e] s) = [e] halt(s) \qquad halt(* s) = * halt(s)$$

 Activity kill(k) forces termination of all unprotected parallel activities inside an enclosing [k], that stops the killing effect

$$\operatorname{kill}(k) \xrightarrow{k} \mathbf{0} \qquad \frac{s_1 \xrightarrow{k} s'_1}{s_1 \mid s_2 \xrightarrow{k} s'_1 \mid \operatorname{halt}(s_2)} \qquad \frac{s \xrightarrow{k} s'}{[k] s \xrightarrow{\dagger} [k] s'}$$

• Kill activities are executed eagerly

$$\frac{s \xrightarrow{k} s' \quad k \neq e}{[e] \ s \xrightarrow{k} [e] \ s'} \qquad \frac{s \xrightarrow{\dagger} s'}{[e] \ s \xrightarrow{\dagger} [e] \ s'}$$
$$\frac{s \xrightarrow{\alpha} s' \quad e \notin e(\alpha) \quad \alpha \neq k, \dagger \quad \text{noKill}(s, e)}{[e] \ s \xrightarrow{\alpha} [e] \ s'}$$

- Activity kill(k) forces termination of all unprotected parallel activities inside an enclosing [k], that stops the killing effect
- Kill activities are executed eagerly

$$\frac{s \xrightarrow{k} s' \quad k \neq e}{[e] s \xrightarrow{k} [e] s'} \qquad \underbrace{s \xrightarrow{\dagger} s'}_{[e] s \xrightarrow{\dagger} [e] s'} \\
\frac{s \xrightarrow{\alpha} s' \quad e \notin e(\alpha) \quad \alpha \neq k, \dagger \quad \text{noKill}(s, e)}{[e] s \xrightarrow{\alpha} [e] s'}$$

Predicate noKill(*s*, *e*) (part 1/2)

checks the ability of *s* of immediately performing a kill activity noKill(*s*, *e*) = true if  $fk(e) = \emptyset$  noKill(kill(k'), k) = true if  $k \neq k'$ 

noKill(kill(k), k) = false noKill(u! $\bar{\epsilon}, k$ ) = noKill( $\sum_{i=0}^{r} n_i$ ? $\bar{w}_i.s_i, k$ ) = true

- Activity kill(k) forces termination of all unprotected parallel activities inside an enclosing [k], that stops the killing effect
- Kill activities are executed *eagerly*

$$\frac{s \xrightarrow{k} s' \quad k \neq e}{[e] s \xrightarrow{k} [e] s'} \qquad \qquad \frac{s \xrightarrow{\dagger} s'}{[e] s \xrightarrow{\dagger} [e] s'} \\
\frac{s \xrightarrow{\alpha} s' \quad e \notin e(\alpha) \quad \alpha \neq k, \dagger \quad \text{noKill}(s, e)}{[e] s \xrightarrow{\alpha} [e] s'}$$

Predicate noKill(s, e) (part 2/2)

checks the ability of *s* of immediately performing a kill activity noKill(s | s', k) = noKill(s, k)  $\land$  noKill(s', k) noKill([e] s, k) = noKill(s, k) if  $e \neq k$ 

 $\operatorname{noKill}([k] s, k) =$ true

 $\operatorname{noKill}(\{|s|\}, k) = \operatorname{noKill}(*s, k) = \operatorname{noKill}(s, k)$ 

- Activity **kill**(*k*) forces termination of all unprotected parallel activities inside an enclosing [*k*], that stops the killing effect
- Kill activities are executed *eagerly*
- $\{ | \cdot | \}$  protects activities from the effect of a forced termination

$$egin{array}{c} egin{array}{c} egin{array}$$

OWS operational semantics: labelled transition rules				
$\frac{\llbracket \bar{\boldsymbol{\epsilon}} \rrbracket = \bar{\boldsymbol{\nu}}}{\mathrm{n}! \bar{\boldsymbol{\epsilon}} \xrightarrow{\mathrm{n} \triangleleft \bar{\boldsymbol{\nu}}} \boldsymbol{0}}$	$\frac{1 \le j \le r}{\sum_{i=1}^{r} n_i ? \bar{\boldsymbol{W}}_i . \boldsymbol{s}_i} \xrightarrow{n_j \rhd \bar{\boldsymbol{W}}_j}}$	$\underbrace{s_{j}}_{s_{j}} \qquad \underbrace{s \equiv \xrightarrow{\alpha} \equiv s'}_{s \xrightarrow{\alpha} s'}$		
$ \underbrace{ \begin{array}{ccc} \underbrace{s_1 \xrightarrow{n  \rhd  \bar{w}}}_{S_1} & s_2 \xrightarrow{n  \lhd  \bar{v}} \\ \end{array} \\ S_2 \xrightarrow{n  \lhd     \sigma    \lhd  \bar{v}} \\ S_1 \mid s_2 \xrightarrow{n  \sigma   \sigma   \bar{v}} \\ S_1' \mid S_2' \end{array} } \begin{array}{c} \operatorname{noConf}(s_1 \mid s_2, n, \bar{v},  \sigma ) \\ \end{array} \\ \end{array} $				
$\frac{S \xrightarrow{n \sigma \uplus \{x \mapsto v\} \ \ell \ \bar{v}}}{[x] \ s \xrightarrow{n \sigma \ \ell \ \bar{v}} \ S' \cdot \{x\}}$	$\frac{S'}{\mapsto v} \qquad \frac{S_1 \xrightarrow{n \sigma \ell \bar{v}}}{S_1}$	$\frac{s'_1  \operatorname{noConf}(s_2, n, \bar{\nu}, \ell)}{s_2 \xrightarrow{n \sigma \ \ell \ \bar{\nu}} s'_1 \mid s_2}$		
$\operatorname{kill}(k) \xrightarrow{k} 0$	$\frac{s \xrightarrow{\alpha} s'}{\{ s \} \xrightarrow{\alpha} \{ s' \}}$	$\frac{\mathbf{s}_{1} \xrightarrow{\alpha} \mathbf{s}_{1}'  \alpha \neq \mathbf{k}, \mathbf{n}  \sigma  \ell  \bar{\mathbf{v}}}{\mathbf{s}_{1} \mid \mathbf{s}_{2} \xrightarrow{\alpha} \mathbf{s}_{1}' \mid \mathbf{s}_{2}}$		
$\frac{s \xrightarrow{k} s'}{[k]  s \xrightarrow{\dagger} [k]  s'}$	$\frac{s \xrightarrow{k} s'  k \neq e}{[e] \ s \xrightarrow{k} [e] \ s'}$	$\frac{S_1 \xrightarrow{k} S_1'}{S_1 \mid S_2 \xrightarrow{k} S_1' \mid \text{halt}(S_2)}$		
$\frac{s \xrightarrow{\dagger} s'}{[e] s \xrightarrow{\dagger} [e] s'}$	$\frac{s \xrightarrow{\alpha} s'  e \notin e(e)}{[e]}$	$\begin{array}{l} \alpha )  \alpha \neq k, \dagger  \text{noKill}(s, e) \\ s \xrightarrow{\alpha}  e s' \end{array}$		

A gentle introduction to COWS

Operational semantics of COWS













```
[check1.check2.ok1.ok2.fail1.fail2]
(*bankInterface | * creditRating1 | * creditRating2)
bankInterface ≜
        [X_{c}, X_{cc}, X_{amount}]
        bank • charge? \langle x_c, x_{cc}, x_{amount} \rangle.
        (bank \cdot check1! \langle x_{cc}, x_{amount} \rangle | bank \cdot check2! \langle x_{cc}, x_{amount} \rangle
          |[k] (bank • ok1? \langle x_{cc} \rangle. (kill(k) | {|x_c \cdot resp! \langle (ok'') \rangle})
                        + bank • fail 1? \langle x_{cc} \rangle. s_1
                     | \text{bank} \cdot \text{ok2}?\langle x_{cc} \rangle. ( \mathbf{kill}(k) | \{ | x_c \cdot \text{resp}! \langle \text{``ok''} \rangle \} )
                           + bank • fail 2?\langle x_{cc} \rangle. s_2 ))
```

### Protected kill activity

Execution of a kill activity within a protection block

 $[k](\{|s_1 | \{|s_2|\} | kill(k)|\} | s_3) | s_4 \xrightarrow{\top} [k]\{|s_2|\} | s_4$ 

For simplicity, assume that  $halt(s_1) = halt(s_3) = 0$ 

kill(k) terminates all parallel services inside delimitation [k] (i.e. s<sub>1</sub> and s<sub>3</sub>), except those that are protected at the same nesting level of the kill activity (i.e. s<sub>2</sub>)

### Protected kill activity

Execution of a kill activity within a protection block

 $[k](\{|s_1 | \{|s_2|\} | kill(k)|\} | s_3) | s_4 \xrightarrow{\dagger} [k] \{|s_2|\} | s_4$ 

For simplicity, assume that  $halt(s_1) = halt(s_3) = 0$ 

kill(k) terminates all parallel services inside delimitation [k] (i.e. s<sub>1</sub> and s<sub>3</sub>), except those that are protected at the same nesting level of the kill activity (i.e. s<sub>2</sub>)

### Protected kill activity

Execution of a kill activity within a protection block

 $[k](\{|s_1 | \{|s_2|\} | kill(k)|\} | s_3) | s_4 \xrightarrow{\dagger} [k]\{|s_2|\} | s_4$ 

For simplicity, assume that  $halt(s_1) = halt(s_3) = 0$ 

• **kill**(*k*) terminates all parallel services inside delimitation [*k*] (i.e. *s*<sub>1</sub> and *s*<sub>3</sub>), except those that are protected at the same nesting level of the kill activity (i.e. *s*<sub>2</sub>)

Interplay between communication and kill activity  $p \cdot o! \langle n \rangle \mid [k] ([x] p \cdot o? \langle x \rangle . s \mid kill(k)) \xrightarrow{\dagger} p \cdot o! \langle n \rangle \mid [k] [x] \mathbf{0}$ 

- Kill activities can break communication
- This is the only possible evolution (kills are executed eagerly)

• Communication can be guaranteed by protecting the receive  $p \cdot o! \langle n \rangle \mid [k] ([x] \{ | p \cdot o? \langle x \rangle. s] \} \mid kill(k)) \xrightarrow{\dagger} p \cdot o! \langle n \rangle \mid [k] ([x] \{ | p \cdot o? \langle x \rangle. s] \}) \xrightarrow{p \cdot o \, \emptyset \, 1 \, \langle n \rangle} [k] \{ | s \cdot \{ x \mapsto n \} | \}$ 

Interplay between communication and kill activity  $p \cdot o! \langle n \rangle \mid [k] ([x] p \cdot o? \langle x \rangle . s \mid kill(k)) \xrightarrow{\dagger} p \cdot o! \langle n \rangle \mid [k] [x] \mathbf{0}$ 

- Kill activities can break communication
- This is the only possible evolution (kills are executed eagerly)
- Communication can be guaranteed by protecting the receive  $p \cdot o! \langle n \rangle \mid [k] ([x] \{ | p \cdot o? \langle x \rangle. s] \} \mid kill(k)) \xrightarrow{\dagger}$  $p \cdot o! \langle n \rangle \mid [k] ([x] \{ | p \cdot o? \langle x \rangle. s] \}) \xrightarrow{p \cdot o \emptyset \downarrow \langle n \rangle} [k] \{ | s \cdot \{ x \mapsto n \} \}$

### COWS expressiveness
# Considerations on COWS expressiveness

- Encoding other calculi
  - $\pi$ -calculus, Localized  $\pi$ -calculus (L $\pi$ ), ...
  - SCC (Session Centered Calculus)
  - Orc
  - WS-CALCULUS
  - Blite (a lightweight version of WS-BPEL)
- COWS (like other calculi equipped with priority) is not encodable into mainstream calculi (e.g. CCS and π-calculus) [EXPRESS'10]
- Modelling imperative and orchestration constructs
  - Assignment, conditional choice, sequential composition,...
  - WS-BPEL flow graphs, fault and compensation handlers
  - QoS requirement specifications and SLA negotiations [WWV'07]
  - Timed orchestration constructs [ICTAC'07]

# Considerations on COWS expressiveness

- Encoding other calculi
  - $\pi$ -calculus, Localized  $\pi$ -calculus (L $\pi$ ), ...
  - SCC (Session Centered Calculus)
  - Orc
  - WS-CALCULUS
  - Blite (a lightweight version of WS-BPEL)
- COWS (like other calculi equipped with priority) is not encodable into mainstream calculi (e.g. CCS and π-calculus) [EXPRESS'10]
- Modelling imperative and orchestration constructs
  - Assignment, conditional choice, sequential composition,...
  - WS-BPEL flow graphs, fault and compensation handlers
  - QoS requirement specifications and SLA negotiations [WWV'07]
  - Timed orchestration constructs [ICTAC'07]

# Considerations on COWS expressiveness

- Encoding other calculi
  - $\pi$ -calculus, Localized  $\pi$ -calculus (L $\pi$ ), ...
  - SCC (Session Centered Calculus)
  - Orc
  - WS-CALCULUS
  - Blite (a lightweight version of WS-BPEL)
- COWS (like other calculi equipped with priority) is not encodable into mainstream calculi (e.g. CCS and π-calculus) [EXPRESS'10]
- Modelling imperative and orchestration constructs
  - Assignment, conditional choice, sequential composition,...
  - WS-BPEL flow graphs, fault and compensation handlers
  - QoS requirement specifications and SLA negotiations [WWV'07]
  - Timed orchestration constructs [ICTAC'07]

#### References

## References 1/4

- A WSDL-based type system for WS-BPEL A. Lapadula, R. Pugliese, F. Tiezzi. Proc. of COORDINATION'06, LNCS 4038, 2006.
- A calculus for orchestration of web services
  A. Lapadula, R. Pugliese, F. Tiezzi. Proc. of ESOP'07, LNCS 4421, 2007.
   go back
- Regulating data exchange in service oriented applications
  A. Lapadula, R. Pugliese, F. Tiezzi. Proc. of FSEN'07, LNCS 4767, 2007.
  \* go back
- COWS: A timed service-oriented calculus A. Lapadula, R. Pugliese, F. Tiezzi. Proc. of ICTAC'07, LNCS 4711, 2007. ♥go back
  - Stochastic COWS D. Prandi, P. Quaglia. Proc. of ICSOC'07, LNCS 4749, 2007.

### References 2/4

- A model checking approach for verifying COWS specifications A. Fantechi, S. Gnesi, A. Lapadula, F. Mazzanti, R. Pugliese, F. Tiezzi. Proc. of FASE'08, LNCS 4961, 2008. Optication
- Service discovery and negotiation with COWS
  A. Lapadula, R. Pugliese, F. Tiezzi. Proc. of WWV'07, ENTCS 200(3), 2008.
- Specifying and Analysing SOC Applications with COWS A. Lapadula, R. Pugliese, F. Tiezzi. In Concurrency, Graphs and Models, LNCS 5065, 2008.
- SENSORIA Patterns: Augmenting Service Engineering with Formal Analysis, Transformation and Dynamicity
   M. Wirsing, et al. Proc. of ISOLA'08, Communications in Computer and Information Science 17, 2008.
- A formal account of WS-BPEL A. Lapadula, R. Pugliese, F. Tiezzi. Proc. of COORDINATION'08, LNCS 5052, 2008.

### References 3/4

- Formal analysis of BPMN via a translation into COWS D. Prandi, P. Quaglia, N. Zannone. Proc. of COORDINATION'08, LNCS 5052, 2008.
- Relational Analysis of Correlation J. Bauer, F. Nielson, H.R. Nielson, H. Pilegaard. Proc. of SAS'08, LNCS 5079, 2008.
- A Symbolic Semantics for a Calculus for Service-Oriented Computing R. Pugliese, F. Tiezzi, N. Yoshida. Proc. of PLACES'08, ENTCS 241, 2009.
- Specification and analysis of SOC systems using COWS: A finance case study
  F. Banti, A. Lapadula, R. Pugliese, F. Tiezzi. Proc. of WWV'08, ENTCS 235(C), 2009.
- From Architectural to Behavioural Specification of Services L. Bocchi, J.L. Fiadeiro, A. Lapadula, R. Pugliese, F. Tiezzi. Proc. of FESCA'09, ENTCS 253/1, 2009.

## References 4/4

On observing dynamic prioritised actions in SOC
 R. Pugliese, F. Tiezzi, N. Yoshida. Proc. of ICALP'09, LNCS 5556, 2009.
 • go back

- On secure implementation of an IHE XUA-based protocol for authenticating healthcare professionals M. Masi, R. Pugliese, F. Tiezzi. Proc. of ICISS'09, LNCS 5905, 2009.
- Rigorous Software Engineering for Service-Oriented Systems Results of the SENSORIA Project on Software Engineering for Service-Oriented Computing
   M. Wirsing and M. Hölzl Editors. LNCS, 2010. To appear.
- An Accessible Verification Environment for UML Models of Services F. Banti, R. Pugliese, F. Tiezzi. Journal of Symbolic Computation, 2010. To appear.
- A criterion for separating process calculi F. Banti, R. Pugliese, F. Tiezzi. Proc. of EXPRESS'10, 2010. Optimized